

Strength and Physical Properties of Zambian Grown Eucalyptus Poles

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Abstract

Poles used for overhead power and telecommunication lines and buildings are specified by species, physical properties such as moisture content, and dimensions as well as strength properties such as ultimate load. These properties vary from species to species. Design stresses may be determined using testing methods specified in various codes to arrive at grade stresses. For example, in Australia and New Zealand, the poles are assigned one stress grade higher than the highest grade of the same sawn timber. Design stresses for American preservative-treated round poles were established following tests specified by ASTM Standards D3200. In the United Kingdom, BS 1990 Parts 1 and 2 give specifications for wood poles for overhead power and telecommunication lines. In Zambia, there is no standard that deals specifically with overhead power and telecommunication lines. However, it is necessary to test Zambian plantation-grown poles and establish basic physical and structural properties. This paper aims to present a method that can be used for establishing a Zambian standard for poles.

Eucalyptus poles are used in fencing, overhead power and telecommunication lines, mine props, support structures, building structures and in the production of sawn timber. In all these uses, the physical and strength properties of the poles are of great importance. This paper presents test results on *Eucalyptus grandis* and *Eucalyptus cloesiana* poles which were tested following guidelines for testing poles used for overhead power and telecommunication lines are contained in BS 1990 Part 1.

Keywords: Poles; *Eucalyptus*; Structural properties; Testing

Introduction

In Zambia the two main plantation grown species of poles generally sold on the market include *E. grandis* (also called blue gum) and *E. cloesiana* which are both hardwoods with straight grain. They are both only moderately susceptible to insect and fungal attack. *Eucalyptus* poles are used in fencing, overhead power and telecommunication lines, mine props, support structures, building structures and for sawing. In all these uses, the physical and strength properties of the poles are of great importance. For example, poles used for overhead power lines have to have a certain minimum load capacity for them to meet the service conditions.

Poles used for transmission lines and buildings are specified by species, moisture content, grade and dimensions, and their properties vary from species to species. Design stresses in wood poles for transmission are derived from static bending tests of poles using methods that apply maximum stress at the ground line (Parker, 1986). In countries such as Australia and New Zealand, poles are assigned one stress grade higher than the highest grade of the same species of sawn timber, because the occurrence of natural defects is compensated for by the inherent strength of round poles (Jayanetti, 1990). Design stresses for selected American preservative-treated round poles are presented in ASAE Standards

EP388.2 (ASAE Standards, 1992). These stresses were established following tests as carried out to ASTM Standards D3200. In the United Kingdom BS 1990: Part 1 (1984) for softwood poles and BS 1990: Part 2 for hardwood poles provide specifications for testing wood poles for overhead power and telecommunication lines. In Zambia, no such standard exists. However, it is necessary to test poles and establish basic physical and structural properties, such as:

- (i) density;
- (ii) ultimate bending strength; and
- (iii) modulus of elasticity.

This paper presents test results on *E. grandis* and *E. cloesiana* poles which were performed following BS 1990 Part 1. The standard outlines the method of preparing the poles, the test set-up and the method of applying the load. The standard also provides formulae for computing the maximum stresses, modulus of elasticity and other parameters.

A test rig normally used for testing beams was used in this study. The loading arrangement was, however, adapted to suit the requirements for testing poles of up to 12m. The adaptation involved the construction of a loading frame on which a hydraulic jack was mounted. Two other frames were fabricated for supporting the poles in either cantilever or simply supported configurations.



Methods for Testing Poles

The testing rig consisted of steel frames mounted on a structural concrete floor. The load was applied using a hydraulic ram mounted on a separate steel frame.

The instrumentation included a Linear Variable Differential Transducer (LVDT) and a strain gauge-based load cell connected to a datalogger. The load-deflection data collected by the datalogger was monitored and stored directly on a computer.

The test arrangement was consistent with the provisions of BS 1990 Part 1. Figures 1 and 2 show the arrangement for testing simply supported and cantilever poles respectively. Figures 3 to 6 show simply supported poles and cantilever poles being tested.

Four lengths of poles were tested, i.e. 12m, 10m, 9m and 8m. For each length, four *E. grandis* and four *E. cloesiana* poles (i.e. eight poles of each length) were tested. The tests were then arranged such that from each length, four poles (two from each species) were tested as cantilevers and the other four as simply supported beams. The density of the poles was measured as per BS 1990: Part 1 (1984) for both species. Ten specimens were tested in each case and the mean values are reported here.

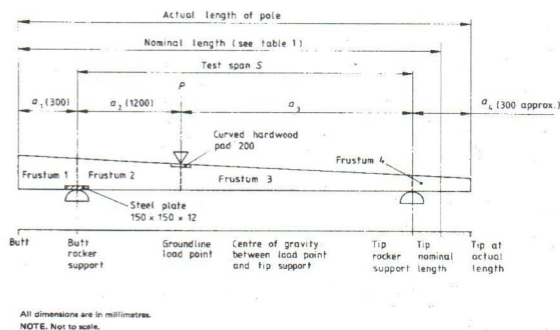


Figure 1: Testing arrangement for a simply supported pole (From BS 1990: Part)

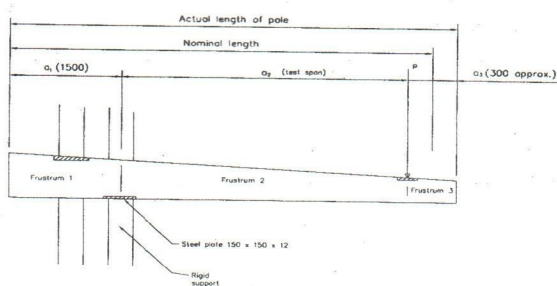


Figure 2: Testing arrangement for a cantilever pole

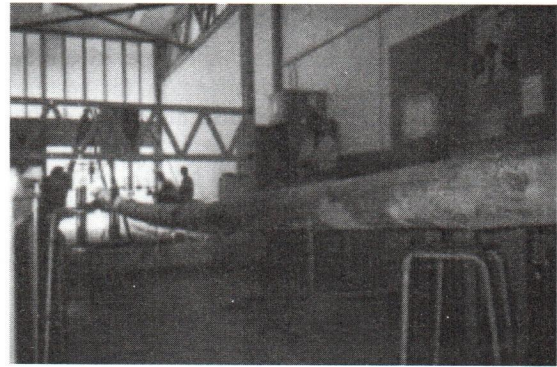


Figure 3: Testing a simply supported 12m pole

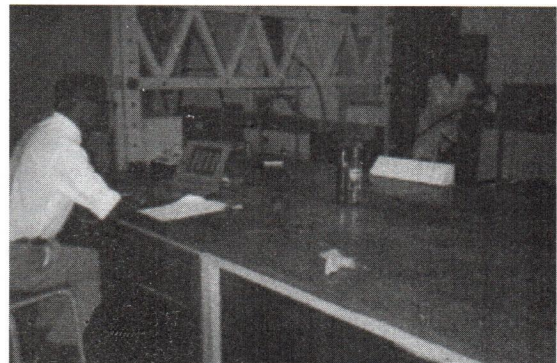


Figure 4: Testing a simply supported 4.5m cross arm

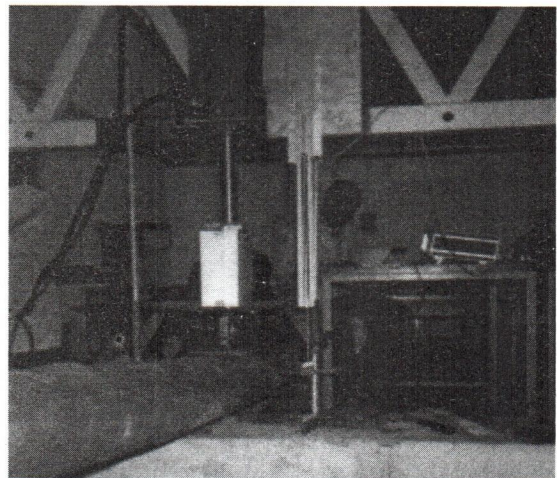


Figure 5: Testing a cantilever pole (load end)

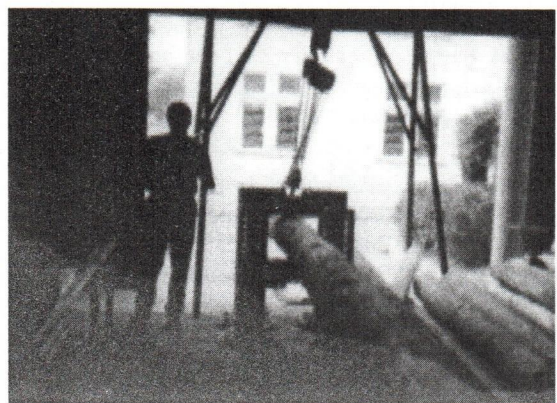


Figure 6: Testing a cantilever pole (support end)

Results

The results of the tests on poles are given in Appendix 1. Due to limitations in the testing equipment (i.e. the rig and instrumentation), the poles were not tested to failure. Large loads and deflections are required to reach failure. However, for the purpose of this study, testing to failure was not a requirement, as the aim was to obtain the modulus of elasticity, from the load-deflection curves.

Appendix 1 shows the average modulus of elasticity for the poles of the two species of timber.

The results of the analysis for forces required to cause specified stresses (i.e. 55Mpa and 75Mpa) are shown in Appendices 2 and 3, for simply supported and cantilever configurations, respectively.

Discussion

Moisture content at time of testing

The moisture content was measured using the oven dry method. The average moisture content for each species was found to be equal to the following values on a dry basis:

- (a) *Eucalyptus grandis*: 16.8%;
- (b) *Eucalyptus cloesiana*: 18.7%.

Density of the poles and cross arms

The poles were found to have mean densities as follows:

- (a) *Eucalyptus grandis*: 600kg/m³ (at 16.8% moisture content);
- (b) *Eucalyptus cloesiana*: 650kg/m³ (at 18.7% moisture content).

Loading on poles

The loads presented in Appendices 2 and 3 are for loading configurations shown in Figures 1 and 2. In both cases, the groundline is located at 1.5m from the butt for poles. For simply supported loading, the load is applied at the groundline itself, while for cantilever loading, the support is at the groundline and the load is applied at a point near the tip.

Modulus of elasticity

The modulus of elasticity is the ratio of the stress to strain. It can also be evaluated from test results using standard equations relating load (P) to deflection (δ). The load-deflection curves were plotted for all specimens and the slope of the curve i.e. $\Delta P/\Delta \delta$ evaluated. Figures 7 and 8 show the load-deflection curves for 10m poles under simply supported loading and cantilever loading,

respectively. The values of $\Delta P/\Delta \delta$ were used in evaluating the modulus of elasticity according to the deflection formulae.

The self-weight of the poles was not taken into account in plotting the load deflection curves. This procedure is valid as the modulus of elasticity is a ratio of change in load over change in deflection.

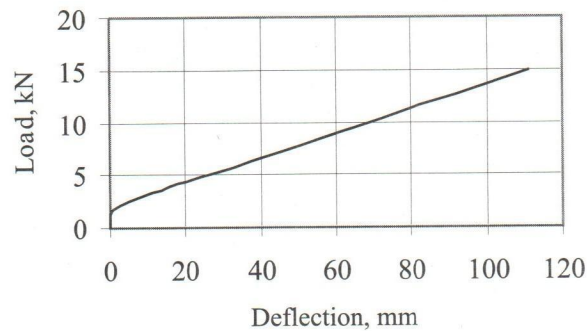


Figure 7: Typical load-deflection curve for 10m simply supported loaded pole

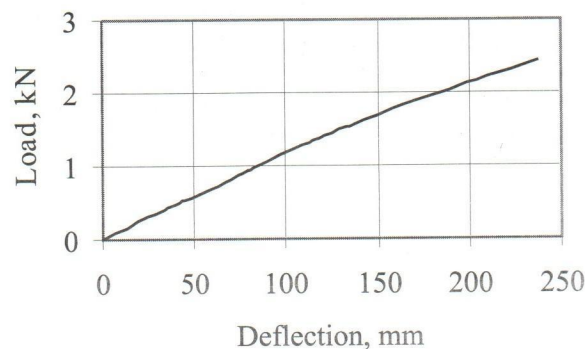


Figure 8: Typical load-deflection curve for 10m cantilever loaded pole

It may be noted that the average modulus of elasticity values are higher for simply supported poles compared to those for cantilever-loaded poles. This difference was attributed to errors within the testing methods. Overall, when many samples are tested, the normal distribution of values may be expected.

The values are, however, within the range expected for sawn timber from species as contained in ZS 032 (1986). In nearly all cases, *E. cloesiana* gave higher values of modulus of elasticity.

Loads required to cause a given stress

The mean ultimate strengths of poles were chosen to be equal to 55N/mm² (lower limit) and 75N/mm² (upper limit). These values were consistent with the

requirements of one of the major users of poles in Zambia, i.e. the Zambia Electricity Supply Corporation (ZESCO, 2001). The loads required to cause the above mentioned stresses (either 55N/mm² or 75N/mm²) at the groundline are evaluated on the basis of the mean material properties for each size of pole and for each species of timber. The groundline is considered to be the critical section and corresponds to the assumed planting depth of power transmission and telegraph poles.

For simply supported loading (see Figure 1), the load is evaluated from equation 1:

$$F = \frac{fZS}{A_2a_3}$$

Where:

- f is the required stress in N/mm²;
 Z is the section modulus at the critical section (i.e. Groundline);
 a_2 is the distance from the butt support to the application of the load in mm;
 a_3 is the distance from the point of application of the load to the tip support in mm.

For cantilever loading (see Figure 2), the load is evaluated from Equation 2:

$$F = \frac{fZ}{a_2}$$

Where:

- f is the required stress in N/mm²;
 Z is the section modulus at the critical section (i.e. Groundline);
 a_2 is the distance from the support to the point of application of the load in mm.

The results of these calculations are given in Appendices 2 and 3.

Load per millimetre of deflection at the tip of the simply supported poles

Poles are generally used as cantilevers in practice. Even when poles are tested as simply supported beams, the deflection at the tip of the poles may be of significance. For simply supported poles, the loading point may also occur at the tip support. In this case, the pole behaves as if it is loaded like a cantilever. With this consideration, BS 1990: Part 1 recommends the use of the following formula to evaluate load per millimetre of deflection at the tip of the poles:

$$F = \frac{3E\pi d_1^3 d_2}{64h^3}$$

Where:

- E is the modulus of elasticity in N/mm²;
 d_1 is the diameter at the groundline in mm;

- d_2 is the distance from the support to the point of application of the load in mm;
 h is the distance from the groundline to the point of application of the load in mm.

Forces computed based on these equations are presented in Appendices 2 and 3.

Conclusions

1. Zambian grown wood poles were tested in accordance with BS 1990: Part 1 (1984). The testing procedure was found to be suitable for testing under Zambian condition.
2. The average moisture contents were found to be 16.8 and 18.7% for *E. grandis* and *E. cloesiana*, respectively.
3. The moduli of elasticity for *E. grandis* and *E. cloesiana* determined from the load-deflection tests given in Table 1(a) and 1(b) conform to ZS 032 (1986).
4. Forces required to cause stresses of 55N/mm² (55MPa) and 75N/mm² (75MPa) were evaluated as recommended by BS 1990: Part 1 (1984) and are shown in Tables 2(a), 2(b), 3(a) and 3(b) for simply supported loading and cantilever loading.
5. The forces required to cause 1mm deflection were evaluated as recommended by BS 1990: Part 1 (1984) and are shown in Tables 2(a), 2(b), 3(a) and 3(b) for simply supported loading and cantilever loading.

References

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- BS 1990: Part 1 (1984), Wood poles for overhead power and telecommunications lines, British Standards Institution, Milton Keynes, UK.
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- ZESCO (2001), Private Letter.



Appendix 1: Results of Load Tests on Poles

Table 1(a) Results of Simply Supported (three-point loading) Tests on Poles

Pole	Length	Species	Butt dia.	Dia. 1.5m from butt	Tip dia.	Max. Applied load	Deflection at max. load	Max. Groundline stress due to applied load	Modulus of Elasticity	
									GR*	CL**
	m		mm	mm	mm	kN	mm	N/mm ²	N/mm ²	N/mm ²
Ss1201	12	CL	270.6	238.7	175.1	18.6	204.8	15.0		20385.8
SS1202	12	GR	288.1	261.0	211.7	24.9	216.8	15.3	16359.4	
SS1203	12	GR	275.0	235.6	191.0	17.7	195.1	14.8	13976.4	
SS1204	12	CL	264.2	227.6	191.0	20.1	186.3	18.6		19266.1
SS1001	10	GR	246.7	227.6	203.7	12.6	88.8	11.4	12723.2	
SS1002	10	CL	222.8	208.5	175.1	15.8	101.5	18.5		17147.1
SS1003	10	CL	248.3	234.0	181.4	12.5	21.9	10.4		18732.7
SS1004	10	GR	248.3	241.9	191.0	14.7	16.5	11.0	17666.3	
SS901	9	GR	232.4	227.6	192.6	16.8	21.4	14.9		
SS902	9	GR	237.1	226.0	168.7	15.1	27.2	13.7	19154.9	
SS903	9	CL	214.9	210.1	170.3	15.7	29.2	17.7		23279.8
SS904	9	CL	232.4	227.6	192.6	16.8	21.4	14.9		23624.9
SS802	8	GR	168.7	163.9	120.1	15.6	85.1	36.2	16461.0	
SS803	8	GR	165.5	162.3	119.4	19.5	133.4	46.7	16215.7	
Ss804	8	CL	168.7	163.9	119.8	16.4	145.2	38.1		15911.6
Ave.									16079.6	19764.0

Table 1(c) Results of Cantilever Tests on Poles

Pole	Length	Species	Butt dia.	Dia. 1.5m from butt	Tip dia.	Max. Applied load	Deflection at max. load	Max. Groundline stress due to applied load	Modulus of Elasticity	
									GR*	CL**
	m		mm	mm	mm	kN	mm	N/mm ²	N/mm ²	N/mm ²
Can1201	12	GR	282.1	270.0	185.0	0.81	191.3	4.40	11503.4	
Can1202	12	GR	304.4	290.1	190.2	1.14	170.8	4.99	10960	
Can1203	12	CL	275.9	265.2	190.1	0.67	61.1	3.84		18969
Can1204	12	CL	255.8	245.1	170.0	1.11	233.9	8.06		16109.9
Can1001	10	CL	235.0	226	175.1	1.6	209.2	12.00		13511.7
Can1002	10	CL	254.1	245.1	194.2	2.44	237.5	14.35		15215.1
Can1003	10	GR	260.1	248.3	181.4	0.9	158.2	5.09	10126.6	
Can1004	10	GR	250.9	241.9	191.0	0.98	128.4	5.99	12633.85	
Can901	9	GR	222.3	213.4	168.7	1.69	217.5	13.29		18154.1
Can902	9	GR	227.9	219.6	178.2	1.63	144.6	11.76	13607.6	
Can903	9	GR	233.0	222.8	171.9	1.99	220.4	13.75	14778.3	
Can904	9	CL	288.7	267.4	160.8	2.0	232.6	7.99		9370.5
Can801	8	GR	181.5	170.0	120.0	0.4	239.7	5.39	10324.0	
Can802	8	GR	175.4	165.0	120.0	0.5	213.3	7.66	11888.1	
Can803	8	CL	193.1	185.0	150.0	1.2	233.9	12.86		17464.7
Can804	8	CL	189.2	180.0	140.0	1.1	172.2	12.03		15828.2
Ave.									11977.7	15577.9

*GR: E. grandis; **CL: E. cloesiana

Appendix 2: Forces in Poles – Simply Supported Three-Point Loading

Table 2(a) Forces required to cause stresses of 55N/mm² and 75N/mm² in Eucalyptus grandis poles

S/N	Pole Length	Assumed depth of Planting	Position of tip support From tip	Min. Tip Dia.	Min. Dia. 1.5m from Butt end	Force required to cause stress of 55N/mm ²	Force required to cause stress of 75N/mm ²	Force per millimeter of deflection at tip end
	M	m	m	mm	mm	kN	kN	N/mm
1	8	1.5	0.3	120	170	26.39	35.98	5.9
2	9	1.5	0.3	160	220	55.90	76.22	10.8
3	10	1.5	0.3	170	240	71.31	97.24	10.1
4	12	1.5	0.3	180	260	88.39	120.53	7.1



Table 2(b) Forces required to cause stresses of 55N/mm² and 75N/mm² in *Eucalyptus cloesiana* poles

S/N	Pole Length	Assumed depth of Planting	Position of tip support From tip	Min. Tip Dia.	Min. Dia. 1.5m from Butt end	Force required to cause stress of 55N/mm ²	Force required to cause stress of 75N/mm ²	Force per millimeter of deflection at tip end
	M	m	m	mm	mm	kN	kN	N/mm
1	8	1.5	0.3	120	170	26.39	35.98	7.2
2	9	1.5	0.3	160	220	55.90	76.22	13.3
3	10	1.5	0.3	170	240	71.31	97.24	12.4
4	12	1.5	0.3	180	260	88.39	120.53	8.7

Appendix 3: Forces in Poles – Cantilever LoadingTable 3(a) Forces required to cause stresses of 55N/mm² and 75N/mm² in *Eucalyptus grandis* poles

S/N	Pole Length	Assumed depth of Planting	Position of tip support From tip	Min. Tip Dia.	Min. Dia. 1.5m from Butt end	Force required to cause stress of 55N/mm ²	Force required to cause stress of 75N/mm ²	Force per millimeter of deflection at tip end
	M	m	m	mm	mm	kN	kN	N/mm
1	8	1.5	0.3	120	170	4.28	5.83	4.4
2	9	1.5	0.6	160	220	8.33	11.36	12.6
3	10	1.5	0.6	170	240	9.45	12.88	17.4
4	12	1.5	0.6	180	260	9.59	13.07	23.4

Table 3(b) Forces required to cause stresses of 55N/mm² and 75N/mm² in *Eucalyptus cloesiana* poles

S/N	Pole Length	Assumed depth of Planting	Position of tip support From tip	Min. Tip Dia.	Min. Dia. 1.5m from Butt end	Force required to cause stress of 55N/mm ²	Force required to cause stress of 75N/mm ²	Force per millimeter of deflection at tip end
	M	m	m	mm	mm	kN	kN	N/mm
1	8	1.5	0.3	120	170	4.28	5.83	5.7
2	9	1.5	0.6	160	220	8.33	11.36	16.4
3	10	1.5	0.6	170	240	9.45	12.88	22.6
4	12	1.5	0.6	180	260	9.59	13.07	30.5